

Thousands of exact duplicates in high-profile structural databases

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UoL(UK) and NITMB (Chicago)

**Rigidity Theory meets Geometric Data Science for
Applications in Chemistry and Biology**

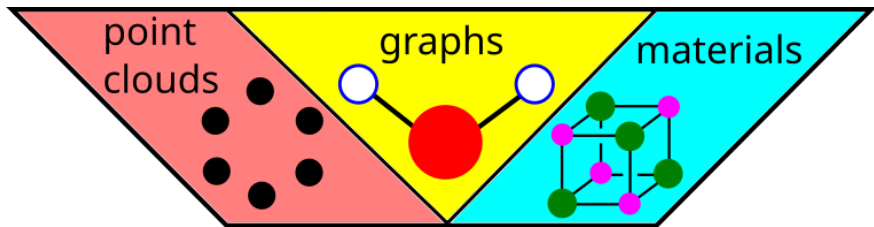


Data in Geometric Data Science

Data can be any real (geometric) objects.

Finite case: clouds of (un)ordered points.

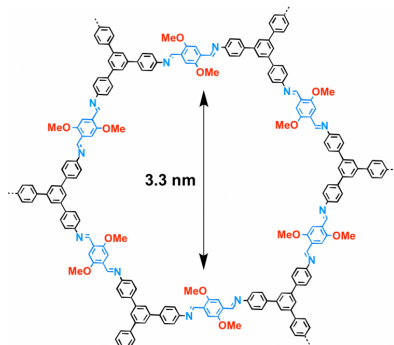
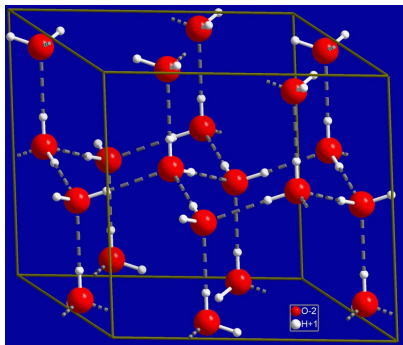
Periodic case: lattices, crystalline materials, ...



Key questions: Same or different? If different, by how much? Where do all real objects live?

All types of periodic crystals

We study solid crystalline materials at the atomic level.
What are these crystals?



Left: Hexagonal ice. Right: a Metal Organic Framework.
How are these crystals represented in a digital form?

A Crystallographic Information File (CIF) has unit cell parameters (3 lengths and 3 angles) and fractional coordinates of atoms in the cell.

```
_symmetry_space_group_name_H-M      'P1'
_symmetry_Int_Tables_number          1
_symmetry_cell_setting                triclinic
loop_
_symmetry_equiv_pos_as_xyz
  x,y,z
_cell_length_a                       12.7573
_cell_length_b                       7.4980
_cell_length_c                       12.7591
_cell_angle_alpha                     90.0000
_cell_angle_beta                     59.9998
_cell_angle_gamma                     90.0000
loop_
_atom_site_label
_atom_site_type_symbol
_atom_site_fract_x
_atom_site_fract_y
_atom_site_fract_z
_atom_site_U_iso_or_equiv
_atom_site_adp_type
_atom_site_occupancy
C1      C      0.33327    0.57807    0.83334
```

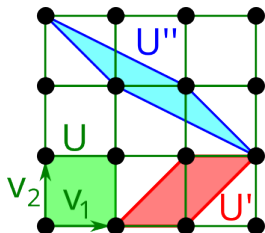
A periodic point set (crystal)

Any linear basis $v_1, \dots, v_n$ of $\mathbb{R}^n$ defines

the **unit cell** $U = \left\{ \sum_{i=1}^n t_i v_i : 0 \leq t_i < 1 \right\}$ and

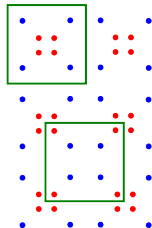
the **lattice** $\Lambda = \left\{ \sum_{i=1}^n c_i v_i : c_i \in \mathbb{Z} \right\}$.

For any finite **motif** $M \subset U$ of atoms, the **periodic crystal** is the infinite set $S = \Lambda + M = \{v + p \mid v \in \Lambda, p \in M\}$.



motif
+
square
lattice

=



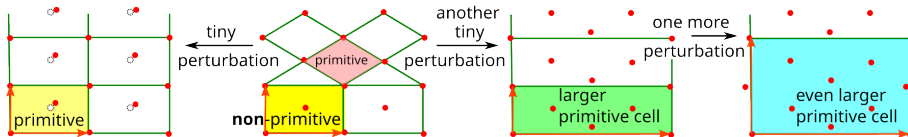
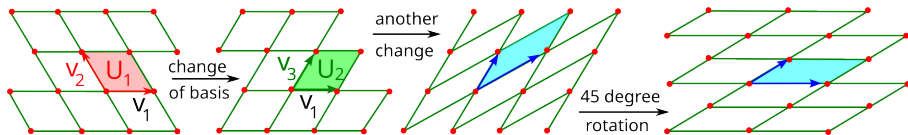
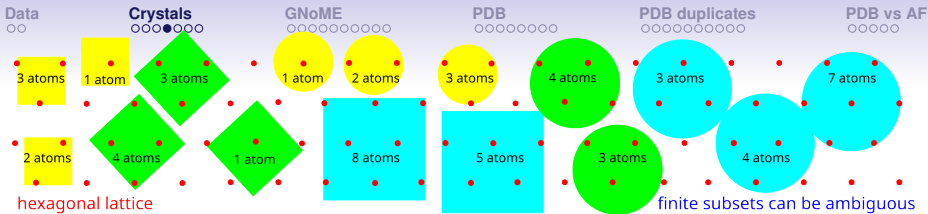
the same
square lattice

=

+



another motif



any periodic crystal ■ has infinitely many **near-duplicates with larger motifs**

the *smallest subspace* of crystals with m atoms in a fixed cell
 a *larger subspace* of crystals with $2m$ atoms in a primitive cell
 an even larger subspace of crystals with $3m$ atoms in a primitive cell
infinitely many layers in the continuous space of periodic crystals

Discontinuity of conventional cells

All conventional representations in the International Tables of Crystallography are *correct in theory* but are **no longer practical** since all data are noisy and tiny displacements of atoms need very different settings.

Any reduced or conventional cell is discontinuous under noise and atomic displacements.

Discrete *symmetry-based crystallography* cannot continuously quantify a distance between crystals. RMSD, 1-PXRD and all others are discontinuous or fail the metric axioms.

Any pseudo-symmetry (equivalence up to a threshold > 0) leads to a trivial classification.

What is the strongest relation?

P. Sacchi et al. **Same or different - that is the question:** identification of crystal forms. CrystEngComm, 22(43), 7170-7185 (2020).

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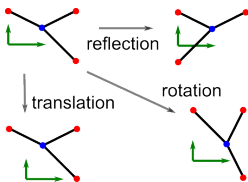


 IUCr ACTIVITIES

CHANGE TO THE DEFINITION OF "CRYSTAL" IN THE IUCr
ONLINE DICTIONARY OF CRYSTALLOGRAPHY

Definitions are not final without equivalence.

Definition of a crystal structure



Since crystal structures are determined in a *rigid form*, the strongest relation in practice is **rigid motion** = translations + rotations in $\mathbb{R}^3$.

Slightly weaker: **isometry** = rigid motion + reflections = any map preserving distances.

New definition by [[Anosova et al, IUCrJ 2024](#)]:

a **crystal structure** is a *rigid class* of crystals
= infinitely many periodic crystals (CIFs) in $\mathbb{R}^3$
equivalence under rigid motion (or isometry)



Nature papers in November 2023

Google's GNoME: 2.2M “new” crystals, “800 years worth of human knowledge”.

Berkeley's A-lab: claimed to have synthesised 43 of 58.

The review by R.Palgrave et al. (2024): “none of the materials produced by A-lab were new: the large majority were misclassified, and a smaller number were correctly identified but already known”.

D.Widdowson, V.Kurlin: review in Scientific Reports (2025): all crystals had near-duplicates in the ICSD, missed by a manual search.



Google's GNoME database

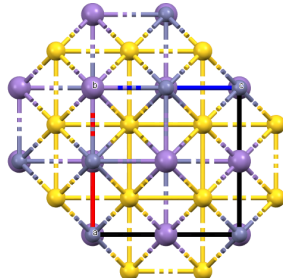
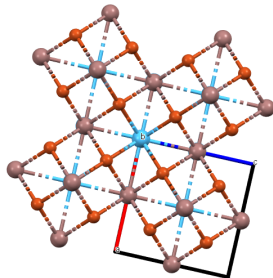
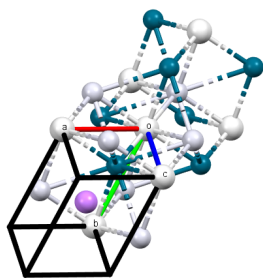
GNoME paper made public 384K+ '*stable*' crystals (close to the boundary of the convex hull): any such '*stable*' crystal can be perturbed to get many more 'new (?) *stable*' crystals.

Review "Artificial Intelligence Driving Materials Discovery?" by A.Cheetham and R.Seshadri (2024) found "scant evidence for compounds that fulfill the trifecta of novelty, credibility, and utility".

Our reviews: Anosova et al, IUCrJ 11(4), 2024, CSD and GNoMe: Pattern Recognition, 2026.



Some near-duplicates in GNoME



These crystals are perturbations up to $10^{-4}\text{\AA}$.

crystal	database	ID	composition
1st	GNoME	01cd76eb18	LiScPdPt
2nd	ICSD	54594	HfInCu ₂
3rd	Mat. Project	1186003	MnZnAu ₂

Thousands of (near)-duplicates

Many GNoME's crystals have geometric near- duplicates in the ICSD and Materials Project, measured by EMD on PDDs with $k = 100$ [D.Widdowson, V.Kurlin, 2025]

EMD $\leq$	10^{-5}	10^{-4}	$10^{-3}\text{\AA}$	0.01	0.02	0.03
ICSD	38	303	757	2454	6002	13165
Mat. Proj.	83	452	848	3457	10725	24416

Since the smallest inter-atomic distance is about $1\text{\AA}$, any perturbations of atoms up to a small fraction of $1\text{\AA}$ look the same when visualised.

Nearly identical CIFs in the GNoME

Filtering by unit cells and fractional coordinates detected numerous near-duplicates.

group size = #CIFs	CIFs are identical texts	all numbers coincide	rounding to 4 digits	rounding to 2 digits
10	0	0	0	1
9	0	1	1	0
7	0	1	1	2
6	0	2	2	4
5	0	2	3	18
4	1	8	12	92
3	43	72	96	670
2	1,089	1,481	1,932	7,856
total	2,311	3,248	4,243	18,228

Euclidean coordinates

This table shows groups of identical crystals after rounding all 6 cell parameters and Euclidean coordinates of all atoms (in Å).

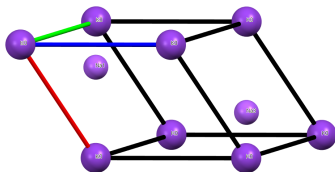
group size = # CIFs	rounding to 4 digits	rounding to 3 digits	rounding to 2 digits	rounding to 1 digit
10 or more	0	0	0	1747
9	1	1	1	51
8	0	0	0	51
7	1	1	1	113
6	2	2	3	165
5	3	3	10	350
4	12	13	23	745
3	99	113	192	2,361
2	1,983	2,144	2,668	13,690
total	4,354	4,722	6,088	43,624

The largest group of 9+1 duplicates

GNoME id	chemical formula	all digits are equal
082738d51d	$\text{Dy}_1\text{Y}_6\text{Ho}_{13}\text{Cd}_6\text{Ru}_2$	in a group of 9
1fba8c028f	$\text{Dy}_2\text{Y}_4\text{Ho}_{14}\text{Cd}_6\text{Ru}_2$	9
39fe92e2ee	$\text{Tb}_2\text{Y}_4\text{Ho}_{14}\text{Cd}_6\text{Ru}_2$	9
6d47ae3d9f	$\text{Tb}_3\text{Y}_3\text{Ho}_{14}\text{Cd}_6\text{Ru}_2$	9
703ed1d823	$\text{Tb}_6\text{Ho}_{14}\text{Cd}_6\text{Ru}_2$	9
78fcd9d814	$\text{Tb}_1\text{Y}_5\text{Ho}_{14}\text{Cd}_6\text{Ru}_2$	9
976f8cb279	$\text{Y}_6\text{Ho}_{14}\text{Cd}_6\text{Ru}_2$	9
a30e9d8c9b	$\text{Tb}_5\text{Y}_1\text{Ho}_{14}\text{Cd}_6\text{Ru}_2$	9
b8c0e953e2	$\text{Tb}_4\text{Y}_2\text{Ho}_{14}\text{Cd}_6\text{Ru}_2$	9
a18d30a9fc	$\text{Tb}_6\text{Ho}_{14}\text{Cd}_6\text{Re}_2$	in a group of 1

The most striking duplicates in GNoME

```
20 _atom_site_type_symbol
21 _atom_site_label
22 _atom_site_symmetry_multiplicity
23 _atom_site_fract_x
24 _atom_site_fract_y
25 _atom_site_fract_z
26 _atom_site_occupancy
27 K K0 1 0.000000 0.000000 0.000000 1
28 Na Na1 1 0.250000 0.250000 0.250000 1
29 Na Na2 1 0.250000 0.250000 0.250000 1
30 Na Na3 1 0.749999 0.749999 0.749999 1
31 Na Na4 1 0.749999 0.749999 0.749999 1
```

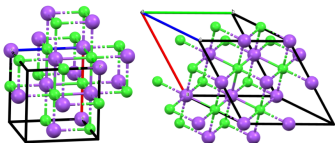


Potassium (K) atoms are in the corners of the cell.

Where are all the Sodium (Na) atoms?

Different entries cdc06a1a2a and 0e2d8f26d6 have identical CIFs and two pairs of atoms (Na1=Na2, Na3=Na4) at the same positions.

More crystals with different CIFs



Drag and Drop / Select Files



Or use an example crystal instead

File Name: NaCl_1.cif

CIF contents:

```
data_NaCl
_cell_length_a 5.58812644
_cell_length_b 5.58812644
_cell_length_c 5.58812644
_cell_angle_alpha 90.00000000
_cell_angle_beta 90.00000000
_cell_angle_gamma 90.00000000
_cell_volume 174.50130186
```

```
loop_
_atom_site_type_symbol
_atom_site_label
_atom_site_fract_x
_atom_site_fract_y
_atom_site_fract_z
```

```
Na+ Na0 0.00000000 0.00000000 0.00000000
Na+ Na1 0.00000000 0.50000000 0.50000000
Na+ Na2 0.50000000 0.00000000 0.50000000
Na+ Na3 0.50000000 0.50000000 0.00000000
Cl- Cl4 0.00000000 0.00000000 0.50000000
Cl- Cl5 0.00000000 0.50000000 0.00000000
Cl- Cl6 0.50000000 0.00000000 0.00000000
Cl- Cl7 0.50000000 0.50000000 0.50000000
```

Disguise a crystal

Input any real crystal, and this program will generate a new-looking CIF based on it!

Instructions:

- 1) First, either input your own CIF file or use the toggle switch to load an example crystal on the left.
- 2) Next, select which of the 3 transformations you would like to apply using the toggle switches below.
- 3) Finally, generate the new file using the buttons on the right.

Transform the basis



Extend the unit cell



Shift atoms slightly



Matrix Transformation info:

0	-1	-1
0	2	1
1	1	1

The 3x3 matrix on the left is used to change the unit cell.
The transformation preserves all geometry and volume of unit cell

*Max integer generated may not be the max number that appears in the matrix on the left because it is a combination of 2 randomly generated matrices.

Max integer generated*:

1

Unit Cell Extension info:

Input max scale factor:

2

Name of crystal within CIF

Submit

Generate new CIF

Download CIF

data disguised

```
_cell_length_a 11.17625288
_cell_length_b 13.6880584
_cell_length_c 9.67891891
_cell_angle_alpha 19.47122063
_cell_angle_beta 54.73561032
_cell_angle_gamma 65.90515745
_cell_volume 349.00260458
```

```
loop_
_atom_site_label
_atom_site_type_symbol
_atom_site_fract_x
_atom_site_fract_y
_atom_site_fract_z
```

```
Na+1 Na+ 0.99965316 0.00034167 0.99893752
Na+2 Na+ 0.24977722 0.50093238 0.4980313
Na+3 Na+ 0.99923756 0.49934318 0.00185047
Na+4 Na+ 0.25014822 0.99738209 0.50386005
Cl-1 Cl- 0.24966755 0.00138265 0.99773412
Cl-2 Cl- 0.9996186 0.50025784 0.50063548
Cl-3 Cl- 0.24928238 0.50000091 0.00012204
Cl-4 Cl- 0.00042397 0.99941199 0.49988203
Na+5 Na+ 0.50031141 0.000409 0.99920739
Na+6 Na+ 0.74916051 0.50053112 0.50012889
Na+7 Na+ 0.50025432 0.49917051 0.00115204
Na+8 Na+ 0.75014703 0.00129511 0.49773894
Cl-5 Cl- 0.75033765 0.00160787 0.99747864
Cl-6 Cl- 0.49993941 0.5006407 0.49900401
Cl-7 Cl- 0.75028128 0.50203556 0.99755844
Cl-8 Cl- 0.5000433 0.99887213 0.50079855
```

Topics

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CHEMICAL & ENGINEERING NEWS

Features

Research Integrity

Duplicate structures haunt crystallography databases

Researchers call for retraction of two recent *Nature* studies about AI-generated crystals

by **Dalmeet Singh Chawla**, special to C&EN

December 16, 2025 • 12 min read

Article

Original, uncorrected article

An autonomous laboratory for the accelerated synthesis of novel materials

<https://doi.org/10.1038/s41586-023-06734-w>

Received: 16 May 2023

Accepted: 10 October 2023

Nathan J. Szymanski^{1,2,5}, Bernardus Rendy^{1,2,5}, Yuxing Fei^{1,2,5}, Rishi E. Kumar^{3,5}, Tanjin He^{1,2}, David Milsted², Matthew J. McDermott^{1,2}, Max Gallant^{1,2}, Ekin Dogus Cubuk⁴, Amil Merchant⁴, Haegyeom Kim², Anubhav Jain³, Christopher J. Bartel², Kristin Persson^{1,2}, Yan Zeng^{2,3,5} & Gerbrand Ceder^{1,2,5}

× Comments 72

Add a comment



Bernardus Rendy

Jan 13

Change "novel" to "inorganic"

Reply



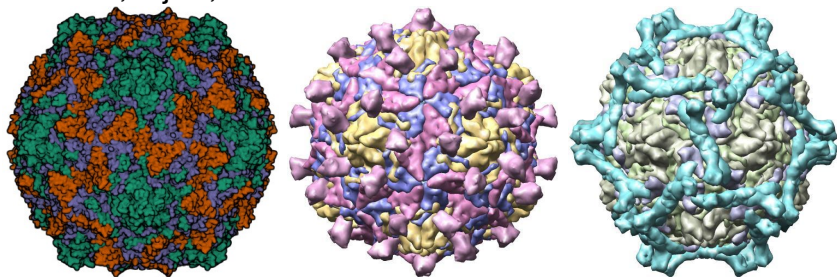
Bernardus Rendy

Jan 13

Change "41" to "36"

The Protein Data Bank (PDB)

The PDB (www.rcsb.org) is a 'gold standard' collection of 220K+ experimental proteins given by 4-symbol codes: 1cov, 1jew, 1m11.



Each entry can have a few entities (molecules), models (versions), and chains given by IDs.

Amino acids



Glycine



Alanine



Valine



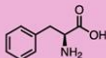
Proline



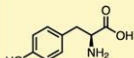
Serine



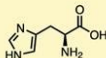
Asparagine



Phenylalanine



Tyrosine



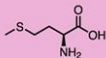
Histidine



Cysteine



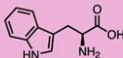
Threonine



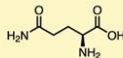
Methionine



Leucine



Tryptophan



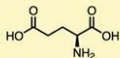
Glutamine



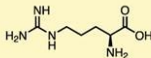
Aspartate



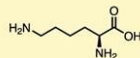
Isoleucine



Glutamate



Arginine



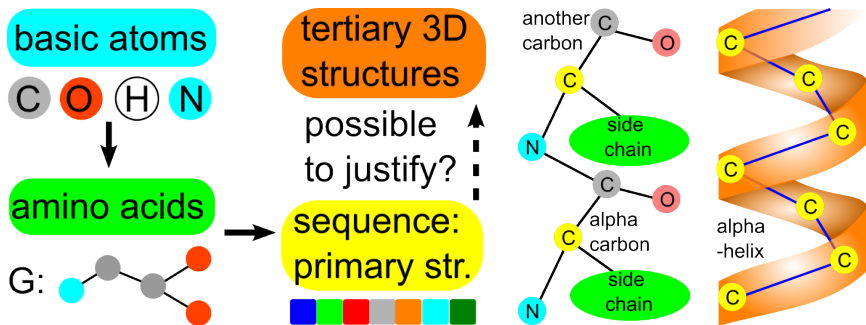
Lysine

Hydrophobic

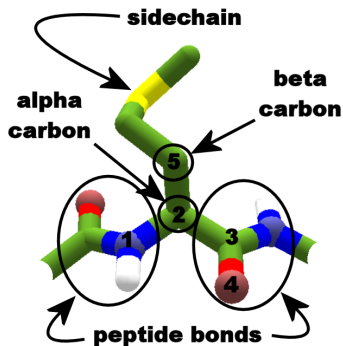
Polar

Protein folding: sequence → structure

Proteins are large biomolecules consisting of one or more chains. Any **protein chain** has a sequence (**primary structure**) of residues (made of 20 standard **amino acids**), which are sequentially joined by peptide bonds.



Rigid motion and backbones



A **protein backbone** is a sequence of ordered triplets of

- (1) nitrogen N_i ,
- (2) alpha-carbon A_i ,
- (3) carbonyl carbon C_i ,

where $i = 1, \dots, m$ ($\#$ residues).

Enzymes and proteins interact with substrates (drug molecules) when their shapes fit as a lock and a key. We need to distinguish *rigid conformations*, so the *rigid motion* is the **strongest equivalence** on backbones.

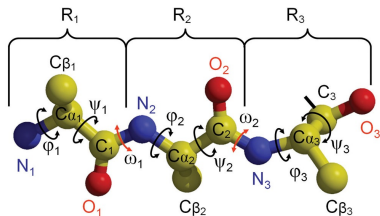
(In)complete invariants

An **invariant** I is a property preserved under rigid motion.

If $S \cong Q$ are related by rigid motion, then $I(S) = I(Q)$.

Hence, if $I(S) \neq I(Q)$, then $S \not\cong Q$ are rigidly different.

An invariant I is **complete** if $I(S) = I(Q) \Rightarrow S \cong Q$.



The torsion angles φ_i , ψ_i are incomplete invariants of a backbone under rigid motion.

To continuously quantify similarities between backbones, we also need a distance metric d satisfying all axioms.

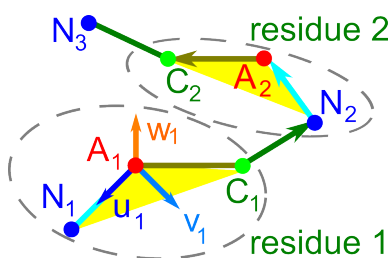
Complete invariants for backbones

Find a map $I : \{\text{backbones}\} \rightarrow \mathbb{R}^k$ such that

- (1) any backbones $S \cong Q$ in $\mathbb{R}^3$ if and only if $I(S) = I(Q)$;
- (2) any backbone $S \subset \mathbb{R}^3$ can be reconstructed from $I(S)$;
- (3) there are a metric d and a constant $\lambda > 0$ such that, for any $\varepsilon > 0$, if Q is obtained from S by perturbing every atom up to a distance ε , then $d(I(S), I(Q)) \leq \lambda\varepsilon$;
- (4) there is a constant μ such that, for any backbones S, Q with a small distance $\delta = d(I(S), I(Q))$, all their atoms can be matched up to $\mu\delta$ by a rigid motion in $\mathbb{R}^3$;
- (5) linear-time algorithms for the invariant I , the metric d , and a reconstruction of any backbone $S \subset \mathbb{R}^3$ from $I(S)$.

BRI = Backbone Rigid Invariant

For a backbone S of m residues, define the orthonormal basis of each residue: origin at A_i , normalise $\overrightarrow{A_i N_i}$ to $\vec{u}_i$, choose $\vec{v}_i$ in the plane of $\triangle N_i A_i C_i$, set $\vec{w}_i = \vec{u}_i \times \vec{v}_i$.



BRI(S) is **the** $m \times 9$ **matrix** whose the 1st row has 3 coordinates fixing $\triangle N_1 A_1 C_1$, the 9 columns have the coordinates of $\overrightarrow{C_{i-1} N_i}$, $\overrightarrow{N_i A_i}$, $\overrightarrow{A_i C_i}$ in the basis $\vec{u}_{i-1}$, $\vec{v}_{i-1}$, $\vec{w}_{i-1}$ of the previous residue.

Anosova et al. MATCH (2025): BRI is a reconstructible, Lipschitz-continuous complete invariant under rigid motion, computable in linear time.



Distance metrics on invariants BRI

The $m \times 9$ matrix BRI (with 6 zeros in row 1) flattens to a vector of $9m - 6$ coordinates in $\text{\AA} = 10^{-10} \text{ m}$.

The simplest metric on vectors

$L_\infty(\text{BRI}, \text{BRI}') = \max_i |\text{BRI}_i - \text{BRI}'_i|$ computes the maximum deviation of coordinates.

We'll also use $\text{RMS} = \sqrt{\frac{1}{9m-6} \sum_{i=1}^{9m-6} |\text{BRI}_i - \text{BRI}'_i|^2}$.

The invariant $\text{BRI}(S)$, the metric L_∞ between invariant matrices, and a reconstruction of $S \subset \mathbb{R}^3$ from $\text{BRI}(S)$ uniquely under rigid motion can be found in time $O(m)$.

Exact geometric duplicates

9366 pairs turned out to have x, y, z coordinates of the main chain atoms N, C_α, C in all residues *identical to the last digit* without rigid motion.

763 such pairs are in *different PDB entries*.

In 9 pairs, geometric duplicates surprisingly differ by primary sequences of amino acids,

which seems physically impossible because replacing one amino acid with a different one should affect main atoms at least slightly.

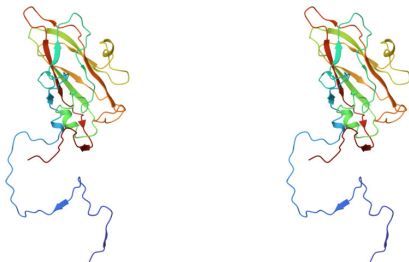
Coincidences and differences

chain 1	chain 2	# identical C_{α}	# different acids
1a0t-B(Q)	1oh2-B(Q)	413	9
2hqe-A	2o4x-A	217	1, GLN $\neq$ GLU
1m11-D(3)	1cov-C(3)	238	72
1m11-D(3)	1jew-D(3)	238	72

Kay Diederichs accepted the duplication of 1a0t, 1oh2:
“PDB entries can multiply on their own! ... your geometric comparison method identified an error in the PDB.”

Viruses: same or different?

1cov-C(3) and 1jew-D(3) are Coxsackieviruses CVB3, 1m11-D(3) is Echovirus E7, those are known to be different in cellular entry mechanisms and interactions with receptors, CVB3 are associated with myocarditis.



After our discussions, the PDB validation team updated other geometric duplicates 1cov, 1gli, 1ruj, 3hbb, 4rhy.

8fdz.cif vs 8fe0.cif: GLN ↔ ALA

When a new protein is deposited, it is validated individually, no comparison with all structures is done. Since 2022, more CIF's were deposited, which differ as text files but all atom coordinates are identical.

1934	ATOM	731	C	CG2	.	VAL	A	1	98	?	25.693	-9.510	-28.294	1.00	33.04	?	904	VAL	A	CG2
1935	ATOM	732	N	N	.	GLN	A	1	99	?	25.276	-8.797	-32.806	1.00	37.89	?	905	GLN	A	N
1936	ATOM	733	C	CA	.	GLN	A	1	99	?	24.861	-9.009	-34.190	1.00	39.75	?	905	GLN	A	CA
1937	ATOM	734	C	C	.	GLN	A	1	99	?	26.064	-9.292	-35.086	1.00	35.10	?	905	GLN	A	C
1938	ATOM	735	O	O	.	GLN	A	1	99	?	26.027	-10.217	-35.909	1.00	33.37	?	905	GLN	A	O
1939	ATOM	736	C	CB	.	GLN	A	1	99	?	24.064	-7.802	-34.702	1.00	37.88	?	905	GLN	A	CB
1940	ATOM	737	N	N	.	LYS	A	1	100	?	27.152	-8.528	-34.921	1.00	32.26	?	906	LYS	A	N
1916	ATOM	731	C	CG2	.	VAL	A	1	98	?	25.693	-9.510	-28.294	1.00	33.04	?	904	VAL	A	CG2
1917	ATOM	732	N	N	.	ALA	A	1	99	?	25.276	-8.797	-32.806	1.00	37.89	?	905	ALA	A	N
1918	ATOM	733	C	CA	.	ALA	A	1	99	?	24.861	-9.009	-34.190	1.00	39.75	?	905	ALA	A	CA
1919	ATOM	734	C	C	.	ALA	A	1	99	?	26.064	-9.292	-35.086	1.00	35.10	?	905	ALA	A	C
1920	ATOM	735	O	O	.	ALA	A	1	99	?	26.027	-10.217	-35.909	1.00	33.37	?	905	ALA	A	O
1921	ATOM	736	C	CB	.	ALA	A	1	99	?	24.064	-7.802	-34.702	1.00	37.88	?	905	ALA	A	CB
1922	ATOM	737	N	N	.	LYS	A	1	100	?	27.152	-8.528	-34.921	1.00	32.26	?	906	LYS	A	N

To avoid wasting time, we should first compare chains in the PDB as lists of atomic coordinates.

A discussion in A.Wlodawer et al. Duplicate entries in the PDB. Acta Cryst D (2025).



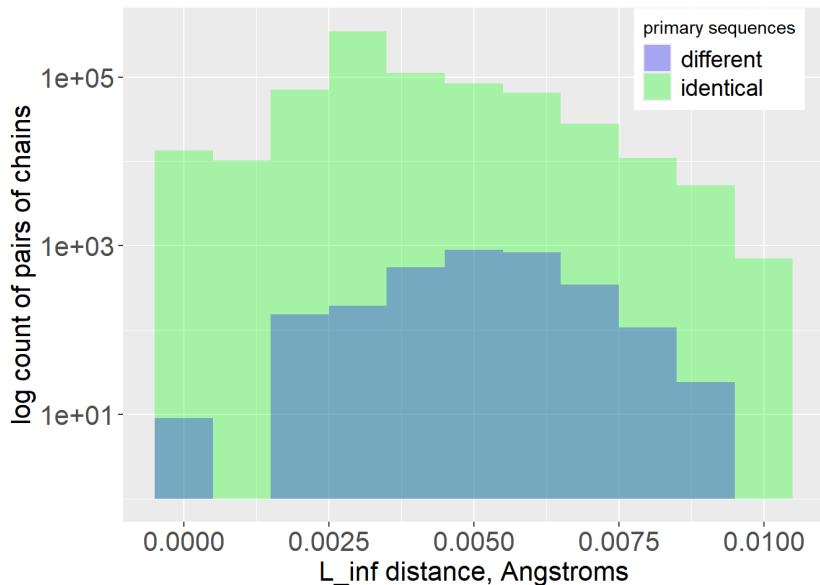
Resolution (Resol.) and maximum deviation between two corresponding atoms (Max. dev.) are given in Å. R_{free} is shown if reported in the PDB deposition. The number of residues that are identified as different in the two depositions is indicated as No. diff. res.

PDB ID 1	PDB ID 2	No. of residues	No. diff. res.	Resol. 1 (Å)	R_{free} 1	Resol. 2 (Å)	R_{free} 2	Max. dev. (Å)
1ac4†	1aen	291	0	2.1	—	2.1	—	0
1aeb†	1aef	291	0	2.1	—	2.1	—	0
1buv	1bqq	184	0	2.75	0.248	2.75	0.248	0
1c77	1c78	130	0	2.3	0.267	2.3	0.267	0
1c79	1c78	130	0	2.3	0.267	2.3	0.267	0
1c79	1c77	130	0	2.3	0.267	2.3	0.267	0
1ffv	1qu2	917	0	2.2	0.281	2.2	0.281	0
1hdu	1hee	307	0	1.75	0.229	1.75	0.229	0

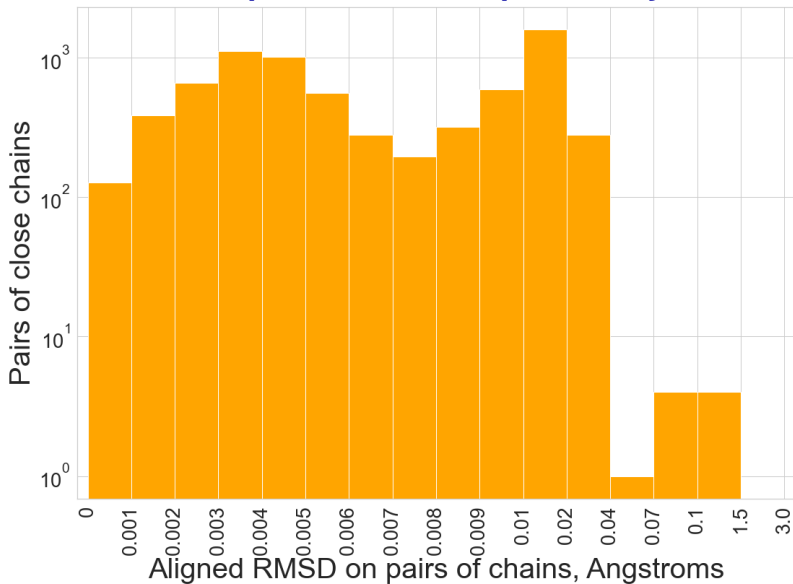
Identified cases & causes

- Subsequent redeposition in the PDB: 1a0t/1oh2 (still in the PDB).
- Deposited close together: 3lt8/3lt9.
- Redepositions should be different by description, but are identical in structure: 1hdu/1hee (potentially non-experimental modelling) or 2f5a/2pr4 (“refinement” by removal of some atoms).
- “Other peculiarities”: 1npw/1npa (same authors, 1997 and 2003) have different unit-cell parameters with exactly the same atomic coordinates and other factors.

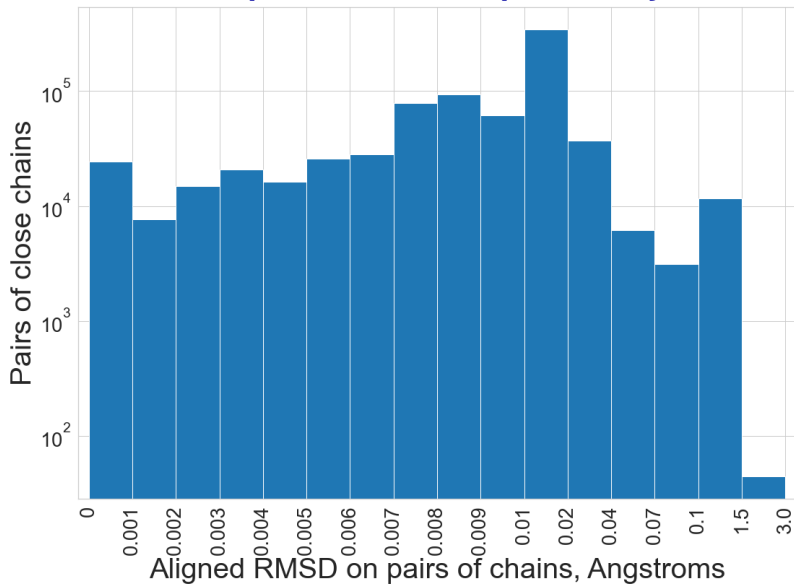
Many more near-duplicates



Different sequences, near-duplicates by RMSD

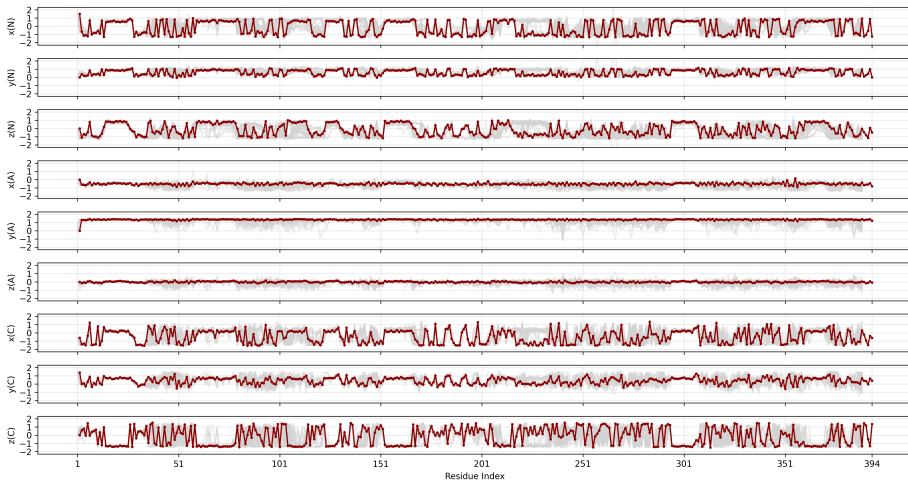


Identical sequences, near-duplicates by RMSD



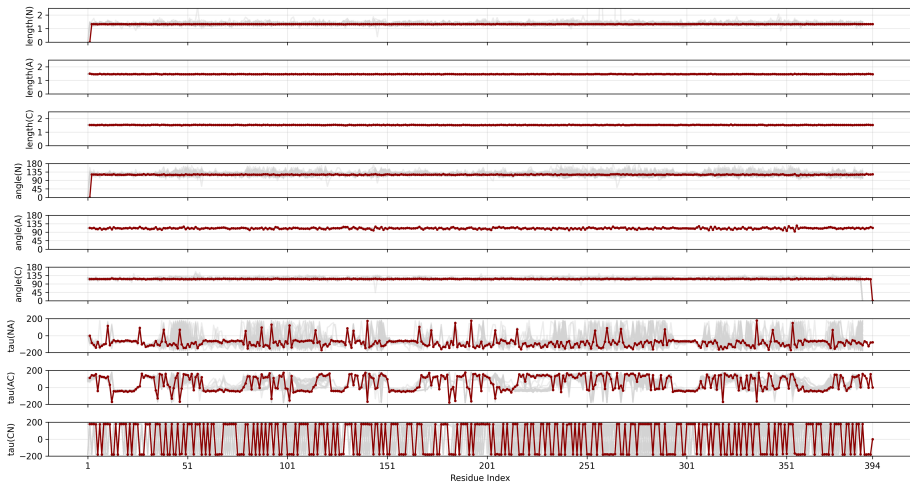
PDB vs AF comparisons

Comparing **multiple AF predictions (grey)** with the **2olo-A PDB experimental structure (red)** with BRI:

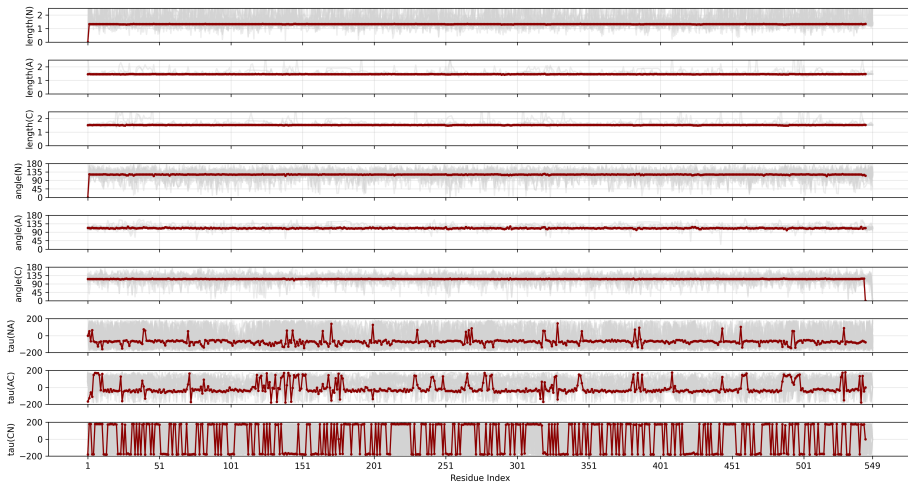


2olo-A: PDB vs AF comparisons with LAI

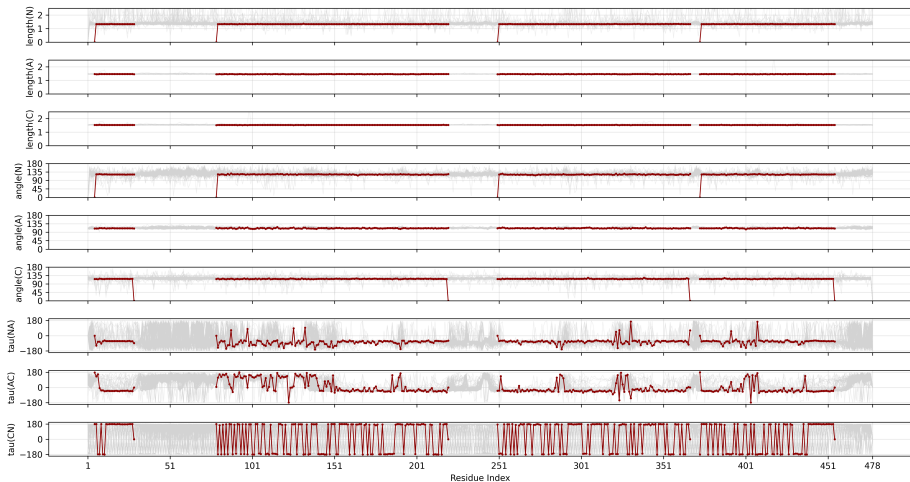
Lengths-Angles Invariant (LAI): 3 lengths, 3 bond angles and 3 torsion angles, is complete but discontinuous.



5i6x-A: PDB vs AF comparisons with LAI



6nbf-A: PDB vs AF comparisons with LAI



Summary & references

D.Widdowson, V.Kurlin. Geographic-style maps with a local novelty distance help navigate in the materials space. Scientific Reports, 2025

O.Anosova et al. Recognition of near-duplicate periodic patterns by continuous metrics with approximation guarantees. Pattern Recognition, 2025

O.Anosova, V.Kurlin, M.Senechal. The importance of definitions in crystallography. IUCrJ, 2024

Anosova et al. A complete and bi-continuous invariant of protein backbones under rigid motion. MATCH, 2025

Wlodawer et al. A detailed discussion of duplicates. Acta Cryst D, 2025.

